# Jill Lindsey Harrison & ris y e

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# Farm si e and job qualit : mi ed-methods studies of hired farm work in California and Wisconsin

Jill Lindse Harrison · Christ Get

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## Descriptive ndings: farm si e and job qualit in two cases

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### Mechanisms at work: e plaining the large farm advantage

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- $$\label{eq:linearized_linear} \begin{split} \mathbf{I} & = \left\{ \begin{array}{cccc} \mathbf{I}_{1} & \cdots & \mathbf{J}_{n} \\ \mathbf{H}_{1} & \cdots & \mathbf{J}_{n} \\ \mathbf{H}_{n} & \cdots & \mathbf{H}_{n} \\ \mathbf{H}_{n} & \cdots & \mathbf{$$

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- $\mathbf{X} = \mathbf{W} + \mathbf{W} +$

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- $\mathbf{I} = \frac{1}{\sqrt{2}} \left[ \frac{1}{\sqrt{2}} + \frac{1}{\sqrt{2}} \frac{1}{\sqrt{$